

# Walsh diagram (complete note)

Note for  
M.Sc. Chemistry (sem. -I)  
Inorganic chemistry

Prepared by

Mr. Jai Prakash (Assistant Professor)  
P.G. department of Chemistry  
S.P Jain College, Sasaram ( V.K.S.U, ARA)  
Mob no- 7905770737  
Email id- jaibhu.patel@gmail.com

❖ Walsh diagram is given by A.D. Walsh (1953).

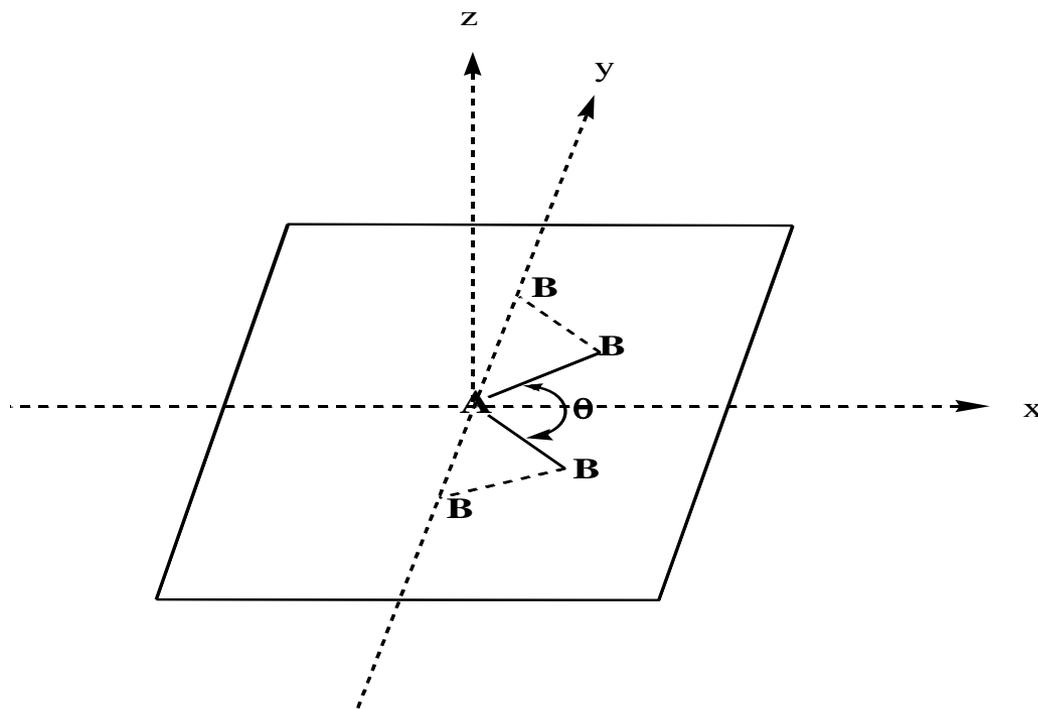
❖ In Walsh diagram **orbital binding energies** plotted against **bond angles**.

The primary idea is that the total energy is the sum of all the orbital binding energies; therefore, by considering the stabilization or destabilization of all the orbital by a change in the angle, one can predict (roughly) the equilibrium bond angle for a given state of a molecule. Walsh diagrams, often called **angular coordinate diagrams** or **correlation diagrams**, are representations of calculated orbital energies of a molecule versus a distortion coordinate, used for making rapid predictions about the geometries of small molecules. By plotting the change in molecular orbital levels of a molecule as a function of geometrical change, Walsh diagrams explain why molecules are more stable in certain spatial configurations.

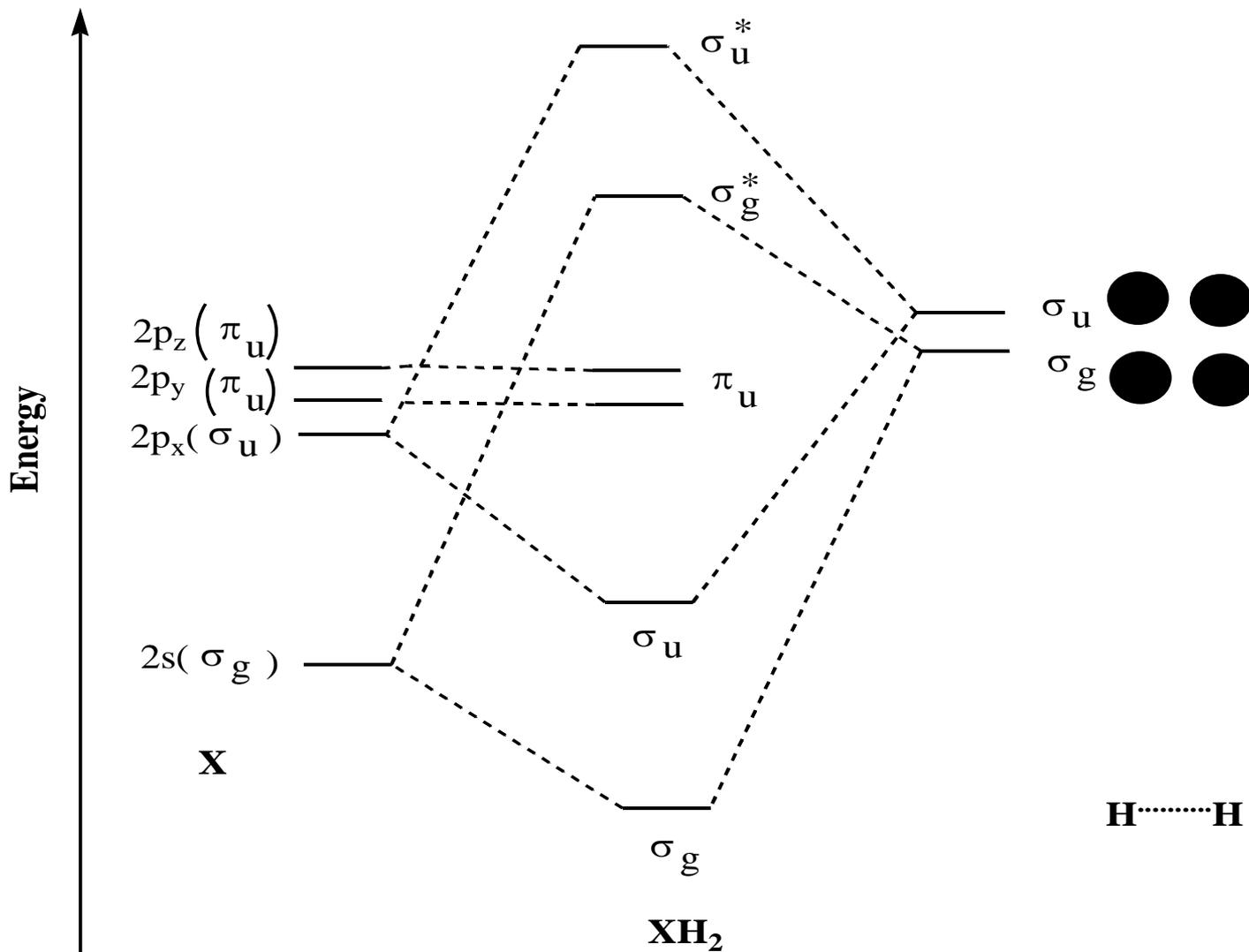
(He explain why water adopts a bent conformation.)

# Application to Triatomic Molecules

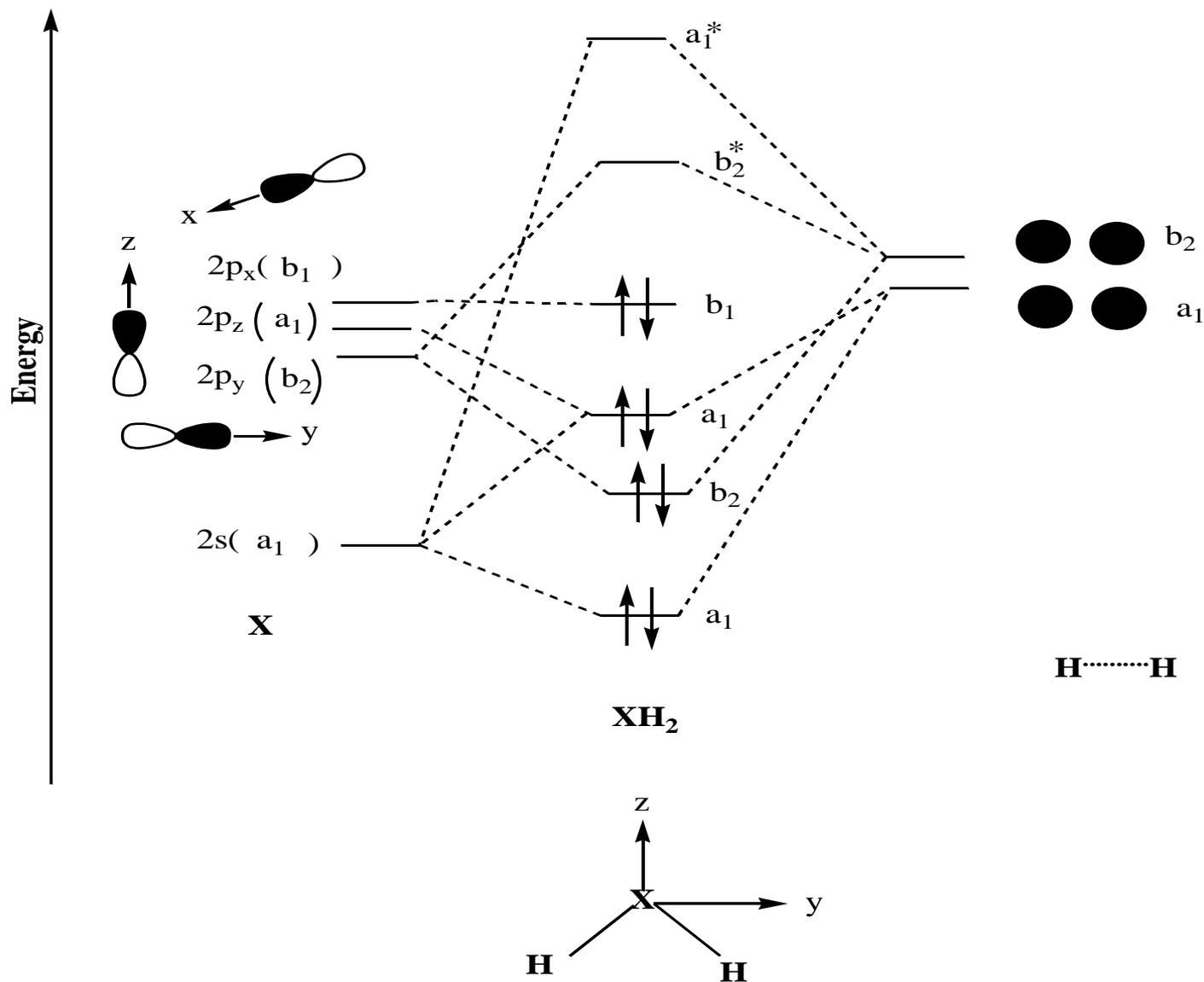
The coordinate system for the AB<sub>2</sub> molecule is shown in given below Figure. The AB<sub>2</sub> molecule has C<sub>2v</sub> symmetry when it is bent but when linear it has D<sub>∞h</sub> symmetry. To simplify notations, however, the linear configuration is considered to be simply an extremum of the C<sub>2v</sub> symmetry. Therefore the labels given to the orbitals through the range  $90^\circ \leq \theta < 180^\circ$  are retained even when  $\theta = 180^\circ$ . The symbols used to label the orbitals are derived from the orbital symmetry properties in a systematic way, but a detailed explanation is not given here. For present purposes, these symbol may be treated simply as labels and please go to symmetry unit for details.



A linear  $\text{XH}_2$  molecule belongs to the  $D_{\infty h}$  point group. A qualitative molecular orbital diagram for the formation of linear  $\text{XH}_2$  from atom X and two H atoms is shown below.



A bent  $\text{XH}_2$  molecule belongs to the  $\text{C}_{2v}$  point group. A general qualitative molecular orbital diagram for the formation of bent  $\text{XH}_2$  from atom X and two H atoms is shown below.



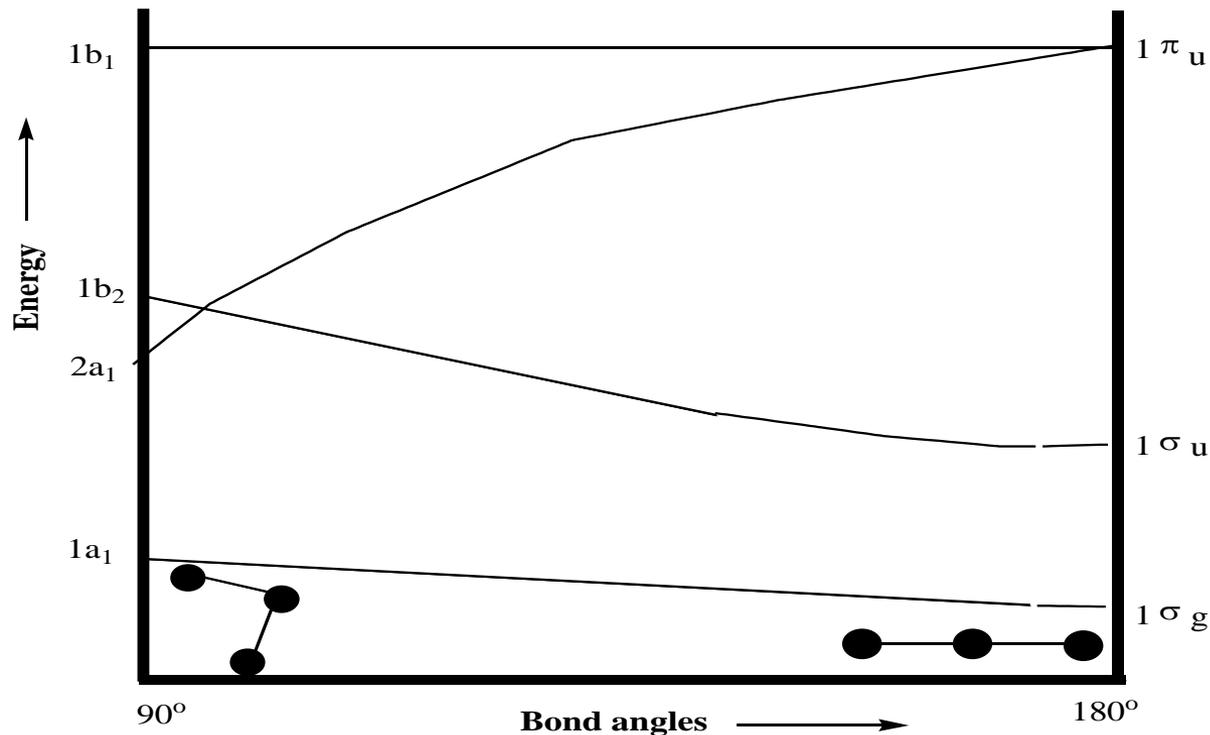
❖ It is found that an  $AB_2$  molecule (without lone pairs) is more stable when linear than when bent. The  $1b_2$  orbital drops steadily in energy from  $\theta = 90^\circ$  to  $180^\circ$ ; while the energy of the  $1a_1$  orbitals is fairly insensitive to angle. This is shown for  $BeH_2$  in next slide.

❖ For an  $AB_2L$  molecule the results are ambiguous, because the trend in the energy of the  $2a_1$  orbital approximately offsets that of the  $1b_2$  orbital.

❖ For  $AB_2L_2$  molecules, the result should be the same as for  $AB_2L$ . Since the energy of  $b_1$  orbital is independent of the angle. Thus it is not clear in this approach that  $AB_2L_2$  molecules should necessarily be bent, but it is clear that it exist in bent form..

## Example- BeH<sub>2</sub> molecule

For BeH<sub>2</sub> molecule Walsh diagram is shown below. Electronic configuration of BeH<sub>2</sub> in linear form is  $(2\sigma_g)^2, (1\sigma_u)^2$  whereas in bent form it is  $(2a_1)^2, (1b_2)^2$ . The energy of the  $1a_1$  orbitals is nearly constant that fairly insensitive to angle. Consider  $(2\sigma_g)$  orbital which is constructed from atomic wave function that are everywhere positive and hence on bending there will be increase in overlap since the two H- atoms wave function will overlap to slightly greater extent. The energy of  $2\sigma_g$  is lowered somewhat. It is now labelled as  $2a_1$ . In contrast the energy of the  $1\sigma_u$  increases on bending. This is because the sign of wave function changes and overlap of H- atoms will be to lesser extent.  $1\sigma_u$  is now labelled as  $1b_2$ . Since  $1b_2$  loses more energy than  $2a_1$  gains, therefore BeH<sub>2</sub> is linear, not bent.



## Example H2O Molecule

Let us consider a simple molecule, H<sub>2</sub>O. It has eight electrons in its valance shell and its molecular configuration in linear is  $(2\sigma_g)^2, (1\sigma_u)^2, (1\pi_u)_x^2, (1\pi_u)_y^2$  and in bent is  $(2a_1^2 1b_2^2 3a_1^2 1b_1^2)$ .  $2\sigma_g$  ( $2a_1$ ) is stabilized in bent form somewhat and  $1\pi_u$  ( $3a_1$ ) is stabilized in greater extent in bent form than  $1\sigma_u$  ( $1b_2$ ) destabilized. As result of this bent form exist than linear.

